## **Presentation on SVC Modelling**

#### **Sub Title:-** Modeling for Stability Studies

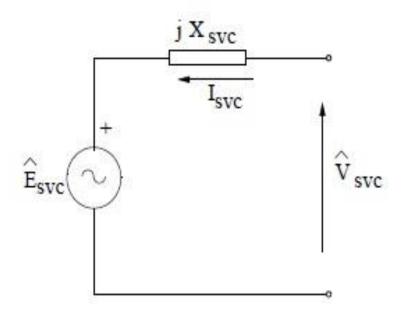
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## Steady State Model of SVC

The steady state control characteristics are modelled by an equivalent circuit shown in Figure. This shows a complex voltage source  $E_{SVC}$  in series with a reactance  $X_{SVC}$ . The losses in the SVC are neglected. The values of  $E_{SVC}$ and  $X_{SVC}$  are given below for the SVC operating in (i) the control range, (ii) capacitive limit and

(iii) inductive limit

## Equivalent circuit of SVC



#### SVC operating in the control range

 $\hat{E}_{SVC} = V_{ref} \angle \phi_{SVC}$  $X_{SVC} = X_s$ 

where •SVC is the angle of the SVC bus voltage. The control range applies when the SVC bus voltage lies in the range.

$$\frac{V_{ref}}{1 + X_s B_{max}} < V_{SVC} < \frac{V_{ref}}{1 + X_s B_{min}}$$

where  $B_{min}$  and  $B_{max}$  are the limits of  $B_{SVC}$ . Note that  $B_{min}$  is, in general, negative (corresponding to the inductive limit) and  $B_{max} = BC$ , where  $B_C$  is the total capacitive susceptance. (neglecting the transformer leakage reactance)

At Capacitive Limit :

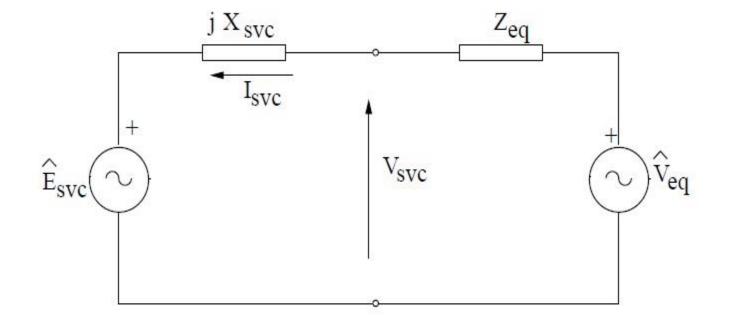
$$\hat{E}_{SVC} = 0.0 + j0.0$$
  $X_{SVC} = -\frac{1}{B_{max}}$ 

At inductive Limit :

$$\hat{E}_{SVC} = 0.0 + j0.0$$
  $X_{SVC} = -\frac{1}{B_{min}}$ 

The equivalent circuit of SVC for the control range is nonlinear (since the angle of  $E_{SVC}$  depends on the bus voltage) and is time varying when the limits are considered. Thus, in general, the inclusion of SVC model in transient stability simulation, involves iterative network solution. However, with nonlinear voltage dependent static load models in the system, the handling of SVC is no more complicated than the handling of nonlinear loads.

#### SVC connected to Thevenin equivalent



# From Figure, the SVC current can be computed as

$$\hat{I}_{SVC} = \frac{\hat{V}_{eq} - \hat{E}_{SVC}}{Z_{eq} + jX_{SVC}}$$

If  $^{R}E_{SVC} = 0.0+j0.0$ , the solution is straight forward. However, in the control range, the angle  $_{\phi}SVC$  needs to be known to apply Eq It can be shown that  $\mbox{tan}_{\varphi} SVC$  is obtained as the solution of aquadratic equation given by

$$a\tan^2\phi_{SVC} + b\tan\phi_{SVC} + c = 0$$

where

$$a = x^{2} - z^{2} \sin^{2} \alpha,$$
  

$$b = -2xy,$$
  

$$c = y^{2} - z^{2} \sin^{2} \alpha$$
  

$$x = Re[(1 - \hat{A})\hat{V}_{eq}], \quad y = Im[(1 - \hat{A})\hat{V}_{eq}]$$
  

$$z = |\hat{A}|V_{ref}$$
  

$$\hat{A} = A \angle \alpha = \frac{Z_{eq}}{Z_{eq} + jX_{SVC}}$$

## Thank You